Universal free choice from concessive conditionals in Tibetan and beyond

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Introduction

Universal free choice items (∀-FCIs) are licensed in a range of modal/conditional and non-episodic (non-veridical; Giannakidou 2001) environments and lead to *universal free choice inferences*:

(1) $f(FCI_x) \Rightarrow$ for any choice of x, f(x) is true

(Giannakidou 2001's "quasi-universal effect"; Kratzer and Shimoyama 2002's "distribution requirement")

An important question in the study of free choice is the source of this universal force.

Introduction

Tibetan forms universal free choice items (FCIs) with a wh-word and the particle yin.na'ang, optionally preceded by a nominal domain:

(2) Wh universal free choice item (\forall -FCI):

र्वेर-सु<u>। विः यया या रे : **धेव : व वर्द** :</u> ज्ञः यी : रेट्रा

Nor.bu [(kha.lag) ga.re yin.na'ang] za-gi-red.

Norbu food what YIN.NA'ANG eat-IMPF-AUX

'Norbu eats **anything** / **any** food.'

Yin.na'ang = yin + na + yang

Yin.na'ang is also variably yin.na.yang ୴ିଗ୍'ଗ୍'୴ଦ' or yin.n'i ୴ିଗ୍'ଗ୍'ସି' and is morphologically clearly:

- (3) **ਘੈਕਾ ਕਾ ਘਵਾ** ਘੈਕਾਰਾਘਵਾ ਘੈਕਾਰਕਵਾ ਘੈਕਾਰਕੈ yin +na +yang = yin.na.yang > yin.na'ang > yin.n'i COPULA COND EVEN /yine/
 - ► Roughly, then, (2) appears to literally be:
 - (4) Norbu eats [even if {it/the food} is what].

Today

- Based on my original fieldwork on Tibetan, I pursue the hypothesis that wh-yin.na'ang FCIs transparently involve the ingredients in (3): a wh, copula, conditional, and even.
- This motivates a new approach to universal free choice, which
 does not stipulate its quantificational force, and leads to a
 new insight into subtrigging effects.
- ➤ These and similar facts from Dravidian languages and Japanese motivate a novel syntax/semantics for the interpretation of adverb clauses in argument positions and their subsequent grammaticalization.

Roadmap

- §2 Preliminaries
- §3 Interpreting wh-yin.na'ang
- §4 Enforcing universal force
- §5 Conclusion and extensions

§2 Preliminaries

- §2.1 Wh-quantification (in Tibetan)
- §2.2 On the syntax of wh-yin.na'ang

Wh in Tibetan

I first consider the uses of wh-words in Tibetan:

(5) Tibetan is wh-in-situ; no bare wh indefinites:

द्युवायः श्रुं 'त्यः श्रुं 'त्रेवयः वेदः प्यवा Thugs.spro-la *su* slebs-song(-pas?) party-DAT who arrive-AUX-Q 'Who came to the party?' / *'Someone came to the party.'

(6) Wh-even NPI: (see Erlewine and Kotek 2016) ধ্বাম স্থ্রাম স্থাম স্থাম স্থাম Thugs.spro-la su-yang slebs-*(ma)-song. party-DAT who-even arrive-NEG-AUX 'No one came to the party.'

Wh-quantification in Alternative Semantics

I employ the framework for *wh*-quantification in Alternative Semantics in my work in progress; see e.g. Erlewine 2019.

- Wh-words have an alternative set ranging over its domain but no ordinary value (Ramchand 1997, Beck 2006, Kotek 2014):
 - (7) a. $[su/who]^{\circ}$ undefined
 - b. $[su/who]^{alt} = \{Tashi, Sonam, Migmar...\}$
 - (8) a. $[TP]^{\circ}$ undefined
 - b. $[TP]^{alt} = {^T came..., ^S came..., ^M came...}$

Wh-quantification in Alternative Semantics

- Focus particles such as EVEN can't compose with (8) because they require a defined ordinary value (the prejacent).
 - (9) The contribution of even:
 - $\text{a.} \quad \texttt{[EVEN α]} \, \rightsquigarrow \, \, \forall \, q \in \llbracket \alpha \rrbracket^{\mathsf{alt}} \bigl[\, q \, \neq \, \llbracket \alpha \rrbracket^{\mathsf{o}} \, \rightarrow \, \llbracket \alpha \rrbracket^{\mathsf{o}} \, <_{\mathsf{likely }} q \, \bigr]$
 - b. $[[\text{EVEN }\alpha]]^{\circ} = [[\alpha]]^{\circ}$
 - c. $\llbracket \text{EVEN } \alpha \rrbracket^{\text{alt}} = \{ \llbracket \alpha \rrbracket^{\text{o}} \}$
- To fix this problem, I propose the covert ∃ in (10):
 - (10) a. $[\exists \alpha]^{\circ} = \bigvee [\alpha]^{\text{alt}}$ b. $[\exists \alpha]^{\text{alt}} = [\alpha]^{\text{alt}}$

Wh-quantification in Alternative Semantics

- (11) <u>LF for (6):</u> EVEN $[_{3}$ NEG $[_{2}$ \exists $[_{1}$ who came to the party]]
 - a. [EVEN $\ceil{3}$] $\color (^no one came ...) <_{likely} (^T didn't come ...) <math>\land$...
 - b. [EVEN ②] $\sim (^{\text{someone came }...}) <_{\text{likely}} (^{\text{Tashi came }...}) \land ... \times$

This follows Lahiri 1998 in enforcing polarity-sensitivity through a scalar particle. See also Erlewine 2019 for further discussion of this framework.

On the syntax of wh-yin.na'ang

Taking the morphology of *yin.na'ang* at face value — COPULA + COND + EVEN (3) — *yin.na'ang* is a copular conditional clause with EVEN.

Two questions about the form wh-yin.na'ang:

- 1. the content of the copular clause; and
- 2. the interpretation of wh-yin.na'ang in argument position.

The arguments of the copular predicate

It is at first glance tempting to describe the wh-FCI as a wh-phrase + yin.na'ang.

(12) But wh-yin.na'ang doesn't take 'which' phrases:

- a. <u>षिःश्यमाः **माः वीः**</u>श्रेवः वृत्रदः
 - *[kha.lag **ga.gi**] yin.na'ang food which YIN.NA'ANG
 - 'any (of the) food'

- b. <u>ध्रम्**नागि**</u>भेवावतरा
 - *[phru.gu **ga.gi**] yin.na'ang child which YIN.NA'ANG
 - 'any child / of the children'

The arguments of the copular predicate

▶ Instead, I propose that the nominal (if present) is the first argument of the copula and the simplex wh is its second argument. With no nominal, the first argument is pro.

Wh-yin.na'ang takes a nominal and a simplex wh-word: (13)

a. <u>षिःश्रमाः **माः रेः**</u>श्रीवावतरः b. <u>श्र्माश्</u>रूषेव वर्द [(kha.lag) ga.re] yin.na'ang food what YIN.NA'ANG 'any (of the) food' lit, 'even if {the food/it} is what'

[(phru.gu) su] yin.na'ang child who YIN.NA'ANG 'any child / of the children' lit. 'even if {the child/it} is who'

Wh-yin.na'ang in argument position

Again, the morphology of *yin.na'ang* suggests that *wh-yin.na'ang* is a copular conditional clause, plus EVEN.

- ► But wh-yin.na'ang is in an argument position! This is clear in examples like (14) where wh-yin.na'ang takes dative case:

An idea

Wh-yin.na'ang is a clausal structure in an argument position which describes that argument; in other words, a head-internal relative or amalgam (Lakoff 1974; see also Kluck 2011):

(15) John is going to <u>I think it's Chicago</u> on Saturday. (Lakoff 1974: 324)

...but many approaches to head-internal relatives and amalgams will not apply here, as the embedded clause is a *conditional* clause.

Proposal

- ▶ I adopt the Shimoyama 1999 anaphora approach for (Japanese) head-internal relatives: the clause is interpreted as adjoined to the main clause at LF, with its surface position interpreted as a pronoun.
- (16) a. (14): Pema talks to [even if $\{pro/\text{the child}\}_7$ is who] \Rightarrow
 - b. <u>LF:</u> [even if { $pro/the\ child$ }_i's who], she talks to $them_i \Rightarrow$

EVEN [if $\{pro/\text{the child}\}_{i}$'s who, she talks to $them_{i}$]

(I discuss the meaning of this coindexation below.)

§3 Interpreting wh-yin.na'ang

Interpreting wh-yin.na'ang

I now elaborate on the interpretation of a *wh-yin.na'ang* FCI, staying with (14):

(17) Unpacking wh-yin.na'ang in (14):

- a. (14): Pema talks to [even if $\{pro/the\ child\}$ is $who] \Rightarrow$
- b. <u>LF:</u> EVEN [if $[\varphi \exists [\{pro/\text{the child}\}_i \text{ is who }]],$

[$_{\psi}$ IMPF [Pema talks to pro_{i}]]

The nominals

I take the nominals *pro* and 'child' a.o. here to take situation variables. I follow the formalization in Elbourne 2013:

(18)
$$[_{DP}[THE[_{NP} child]]s]$$

(19)
$$[THE] = \lambda P_{\langle e, \langle s, t \rangle \rangle} \cdot \lambda s : \exists !x[P(x)(s)] \cdot \iota x[P(x)(s)]$$
 (Elbourne 2013: 35)

Note that Tibetan has bare noun definites and no overt definite determiner.

The antecedent

(20) φ in (17) with definite description:

- a. $[\varphi]^{\circ} = \lambda s_s : \exists !x[x \text{ child in } s]$ $\iota x[x \text{ child in } s] = \mathsf{T} \lor \iota x[x \text{ child in } s] = \mathsf{S} \lor \dots$
- b. $[\varphi]^{\text{alt}} = \left\{ \begin{array}{l} \lambda s_s : \exists ! x[x \text{ child in } s] . \iota x[x \text{ child in } s] = T, \\ \lambda s_s : \exists ! x[x \text{ child in } s] . \iota x[x \text{ child in } s] = S, ... \end{array} \right\}$

The antecedent

Similarly, I take pro be a definite with salient property P:

(21) φ in (17) with null pro:

a.
$$\llbracket \varphi \rrbracket^{\circ} = \lambda s_{s} : \exists !x[P(x)(s)]$$

 $\iota x[P(x)(s)] = \mathsf{T} \lor \iota x[P(x)(s)] = \mathsf{S} \lor ...$

b.
$$\llbracket \varphi \rrbracket^{\text{alt}} = \left\{ \begin{array}{l} \lambda s_s : \exists ! x [P(x)(s)] . \iota x [P(x)(s)] = \mathsf{T}, \\ \lambda s_s : \exists ! x [P(x)(s)] . \iota x [P(x)(s)] = \mathsf{S}, ... \end{array} \right\}$$

The LF again

Below, I refer to these definites or *pro* as "THE *P*." (The coindexation above reflects the reference to the shared property *P*.)

(22) Final LF for (14): (revised from (17))

EVEN [if [$_{\varphi}$ \exists [THE P is who]], [$_{\psi}$ IMPF [Pema talks to THE P]]]

The conditional

I model the habitual imperfective in (22) as a universal quantifier over "characteristic" sub-situations (≤_{ch}) (Cipria and Roberts 2000, Arregui et al. 2014).

(23) ψ in (22):

$$\llbracket \psi \rrbracket^{\circ} = \operatorname{IMPF}_{\operatorname{habitual}} \left(\llbracket \operatorname{Pema talks to THE} P \rrbracket^{\circ} \right)$$

= λs_s . $\forall s' \llbracket s' \leq_{\operatorname{ch}} s \rightarrow \operatorname{Pema talks to THE} P \operatorname{in} s' \rrbracket$

► I take the conditional clause to restrict the domain of the modal/temporal quantifier (Lewis 1975, Kratzer 1979, 1986, von Fintel 1994).

The conditional

(24) "If φ , ψ " in (22):

$$\begin{aligned} & [\![\text{if } \varphi, \ \psi]\!]^\circ = \lambda s_s \ . \ \forall s' \begin{bmatrix} s' \leq_{\text{ch}} S \\ & \wedge \ [\![\varphi]\!]^\circ(s') \end{bmatrix} \rightarrow \end{aligned} & \text{Pema talks to} \\ & \text{THE P in $s'} \end{aligned} \\ & = \lambda s_s \ . \ \forall s' \begin{bmatrix} s' \leq_{\text{ch}} S \wedge \underline{\exists!x[P(x)(s')]} \\ & \wedge \begin{pmatrix} \iota x[P(x)(s')] = T \vee \\ \iota x[P(x)(s')] = S \vee \dots \end{pmatrix} & \xrightarrow{\iota x[P(x)(s')] \text{ in } s'} \end{aligned}$$

"In any and all 'normal or usual' sub-parts of the current situation/world with a unique child, Pema talks to that child."

We derived the expression of universal free choice from the ingredients in wh-yin.na'ang: wh + copula + conditional (+ EVEN)!

Summary

How did this happen?

- ► The universal force of the FCI comes from the modal/temporal operator here, imperfective restricted by the conditional.
 - The universal force here is not stipulated as in Menéndez-Benito 2005, 2010 or Rawlins 2008a,b, 2013, nor does it need to be derived using a strengthening procedure as in Chierchia 2013 and Szabolcsi 2019.

§4 Enforcing universal force

Enforcing universal force

The approach just presented derives ∀-FC, parasitic on a universal modal/temporal operator. This raises two questions:

Q1: What if the conditional restricts a possibility modal?

Q2: What about in episodic descriptions? In necessity statements?

► EVEN ensures that the conditional in wh-yin.na'ang must restrict a universal modal/temporal operator.

Consider the denotation of "if φ , ψ " for example (14) above and its alternatives:

The role of EVEN

(25) "If φ , ψ " for (14), schematically:

a.
$$[\inf \varphi, \psi]^{\circ} = \lambda s_{s}$$
.

$$\forall s' \left[\dots \wedge \left(\begin{array}{c} \iota x[P(x)(s')] = \text{Tashi } \lor \\ \iota x[P(x)(s')] = \text{Sonam } \lor \dots \end{array} \right) \to \dots \right]$$

"In any and all 'normal or usual' sub-situations with a unique child, Pema talks to that child."

b.
$$[if \varphi, \psi]^{alt} =$$

$$\begin{cases} \lambda s_s \cdot \forall s' [\dots \wedge \iota x[P(x)(s')] = Tashi \to \dots], \\ \lambda s_s \cdot \forall s' [\dots \wedge \iota x[P(x)(s')] = Sonam \to \dots], \dots \end{cases}$$

"In any and all 'normal or usual' sub-situations with a unique child who is Tashi/Sonam/..., P talks to that child."

The role of EVEN

Notice that $\llbracket \text{if } \varphi, \ \psi \rrbracket^{\text{o}}$ in (25a) asymmetrically entails each alternative in $\llbracket \text{if } \varphi, \ \psi \rrbracket^{\text{alt}}$ (25b). EVEN $\llbracket \text{if } \varphi, \psi \rrbracket$ then introduces a satisfiable (trivial) scalar inference.

What if the conditional instead restricts a possibility modal?

Restricting a possibility modal

(26) "If φ , ψ " with φ restricting a possibility modal in ψ :

a.
$$[[if \varphi, \psi]]^{\circ} = \lambda w_{s}$$
.
$$\exists w' \left[\dots \wedge \left(\begin{array}{c} \iota x[P(x)(w')] = Tashi \lor \\ \iota x[P(x)(w')] = Sonam \lor \dots \end{array} \right) \wedge \dots \right]$$

"There is an accessible world with a unique child where Pema talks to that child."

b.
$$\llbracket \text{if } \varphi, \ \psi \rrbracket^{\text{alt}} = \begin{cases} \lambda w_{\text{s}} \cdot \boxed{\exists w'} \left[\dots \wedge \iota x [P(x)(w')] = \text{Tashi } \wedge \dots \right], \\ \lambda w_{\text{s}} \cdot \boxed{\exists w'} \left[\dots \wedge \iota x [P(x)(w')] = \text{Sonam } \wedge \dots \right], \dots \end{cases}$$

"There is an accessible world with a unique child who is Tashi/Sonam/..., where Pema talks to that child."

Restricting a possibility modal

► Here each alternative in (26b) is logically stronger than the prejacent. EVEN will lead to an unsatisfiable presupposition!

This blocks the wh-yin.na'ang FCI from involving a conditional restricting a possibility modal, in a method similar to ensuring negative polarity dependency with EVEN as in Lahiri 1998.

Wh-yin.na'ang with possibility modals

Wh-yin.na'ang FCIs do (unsurprisingly) cooccur with possibility modals, though:

- (27) Wh-yin.na'ang FCI with deontic possibility modal:

 रते 'च्चि' प्रविश्व 'व्यव '
 - In such cases, I propose that the conditional in wh-yin.na'ang must be associated with the imperfective aspect -gi-, leading to universal quantification scoping over the deontic possibility modal: ∀ > ALLOWED.

Wh-yin.na'ang in episodic descriptions

(28) Wh-yin.na'ang is ungrammatical in episodic descriptions:

* ন্যা ঐপ' স্কু শুন্থবা **যা ই 'অঁৱ ব্ৰহ্ণ** ন্ত্ৰম' কৰি |
bKra.shis da.lta [(kha.lag) **ga.re yin.na'ang**] bzas-tshar-song.
Tashi now food what YIN.NA'ANG eat-finish-AUX
Intended: ≈ 'Tashi finished eating **any** food right now.'

Episodic descriptions claim the existence of a particular event: here, that there was completion of eating, in the past halo of 'now.'

► There is no modal/temporal operator which supplies universal force and thus the prejacent will not be less likely than its alternatives, so EVEN cannot be satisfied. (There may be a high covert necessity modal, which is insufficiently granular...)

Wh-yin.na'ang in necessity statements

The current analysis may suggest the availability of wh-yin.na'ang in statements with necessity modals, contrary to fact:

(29) Wh-yin.na'ang marked in necessity statements:

^{??} ब्रिन्-रनः<u>श्चवःगःरेःधेवःवत्रनः</u>त्रः**नर्गेशः**रेन

Khyed.rang [sman ga.re yin.na'ang] za-**dgos**-red.

2sg medicine what YIN.NA'ANG eat-must-AUX

Intended: ≈ 'You **must** take *any* medicine.'

Wh-yin.na'ang in necessity statements

► I suggest that the deontic necessity modal as in (29) does quantify over situations/worlds that are granular enough to allow restriction by the uniqueness presupposition of the definite:

(30) Impossible LF for (29):

EVEN [if [$_{\varphi}$ \exists [THE P is what]], [$_{\psi}$ MUST [you eat THE P]]]

Subtrigging

Notably, wh-yin.na'ang in necessity statements are improved by further modification, e.g. subtrigging (LeGrand 1975):

(31) Wh-yin.na'ang improved with subtrigging:

I suggest that, here, an alternate source exists:

(32) Alternate LF with indefinite specificational subject:

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EVEN [ if [_{\omega} \exists [ _{\Delta} _{P} is what ] ], [_{\psi} MUST [ you eat THE _{P} ] ]
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Subtrigging and indefinite specificational subjects

We know that indefinite specificational subjects are marked unless they have what Comorovski (2007) calls "indirect contextual anchoring"; see also Mikkelsen 2005: ch. 8 and Milway 2020:

- (33) a. *A doctor is John. (Heycock and Kroch 1999: 379)
 - b. √One person who might help you is Mary. (Higgins 1973: 270)
 - ▶ I pursue the possibility that "subtrigging" is a reflection of this anchoring requirement on indefinite specificational subjects.

Summary and theoretical implication

► A new approach to universal free choice:

- parasitic on an existing universal/necessity operator via the conditional,
- enforced by the logical properties of EVEN,
- interpreting an adjunct (conditional) clause in an argument position, inspired by Shimoyama's approach to head-internal relative clauses.

See also its further formalization in Erlewine 2020b.

§5 Conclusion and extensions

Recap

Here I investigated the syntax/semantics of universal FCIs in Tibetan.

 $ightharpoonup \forall$ -FCIs can be derived from these ingredients:

The expression *yin.na'ang ঋ*ব'ব্নন has <u>two other uses:</u>

Yin.na'ang beyond free choice

(35) Concessive scalar focus particle:

Context: Don't worry, the test is easy.

ริสาๆอิตา**พิสาสุดร**าฐิ์ตาสาพิตาฮ์ราผสุราญิัตาฏิ ริสา [Dep [gcig]_F yin.na'ang klog-na] yig.tshad mthar.'khyol-kyi-red. book one YIN.NA'ANG read-COND exam succeed-IMPF-AUX ≈ '[If [you] read even/at least [one]_F book], [you] will pass the exam.'

Summary

Tibetan yin.na'ang has three functions:

- 1. Yin.na'ang counterexpectational discourse particle
- 2. X yin.na'ang concessive scalar focus particle
- 3. wh yin.na'ang universal free choice item
- All three uses can be derived compositionally from (3):

See Erlewine 2020a for further discussion and analysis.

Extensions

► If this is really derived from the independent conventional semantics for the copula, conditional, and *even*, we might expect similar expressions in other languages.

Balusu (2019, 2020) shows this to be true in <u>a range of Dravidian</u> <u>languages!</u>

Extensions: Telugu

For example, Telugu *ai-naa* = COP-EVEN.IF has three functions:

1. Ai-naa counterexpectational discourse particle

2. X ai-naa concessive scalar focus particle

3. wh ai-naa universal/existential free choice item

! But there are subtle differences! For example, Telugu *wh ai-naa* also allows ∃-FCI ('somebody or other') readings. See Balusu 2019, 2020.

Extensions: Japanese

Japanese demo has three functions:

- 1. Demo counterexpectational discourse particle
- 2. X demo concessive scalar focus particle / 'for example'
- 3. wh demo universal free choice item

See the handout's Appendix for some data and one particularly striking parallel between Tibetan *yin.na'ang* and Japanese *demo*.

! But there is a subtle difference! *Demo* has a 'for example' use (Watanabe 2013). See Appendix in handout.

On constructional transparency

A complication is that Japanese *demo* may <u>not</u> be a synchronically productive combination of copula, conditional, and *even*.

 Hiraiwa and Nakanishi (2021) propose that the Japanese surface form demo is a conventionalized contraction of dear-te-mo, which is transparently COP-COND-EVEN. But the proposed contraction is not a productive process. (But see also Oda 2021 for another view.)

On constructional transparency

- ► The success of the decomposition for Tibetan yin.na'ang from its ingredients, COPULA + CONDITIONAL + EVEN is valuable for understanding this class of expressions, both synchronically productive and not:
 - We might find other cases where the morphology and semantics are quite transparent (Dravidian?)
 - and for others, it offers an explanation for why a language bundles such meanings together, even if its morphology is now calcified (Japanese).

र्चियाया. इ.क्री

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